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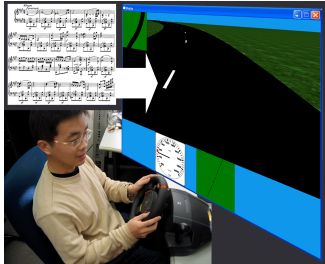
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- Goal: to create a driving interface for generating expressive performances interactively in real time from expressionless music files
- Allow non-musicians access to high-level expressive decisions without having to master an instrument
- Allow expert musicians to experiment with expressive choice without having to first master the notes


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## Driving Metaphor

- High-level musical performance is very much like driving a car
  - Score vs. road map
  - Performance vs. a journey on the road
- Harmonixmusic
  - Road
  - <http://www.guitarherogame.com/trailer.asp>




## Driving Metaphor

- Harmonic Driving
  - Visual interface
  - <http://gorbet.com/matt/blueharmonic.html>
- Tempo smoothness
  - Human prefer smooth tempo transitions
  - Human prefer smooth driving speed



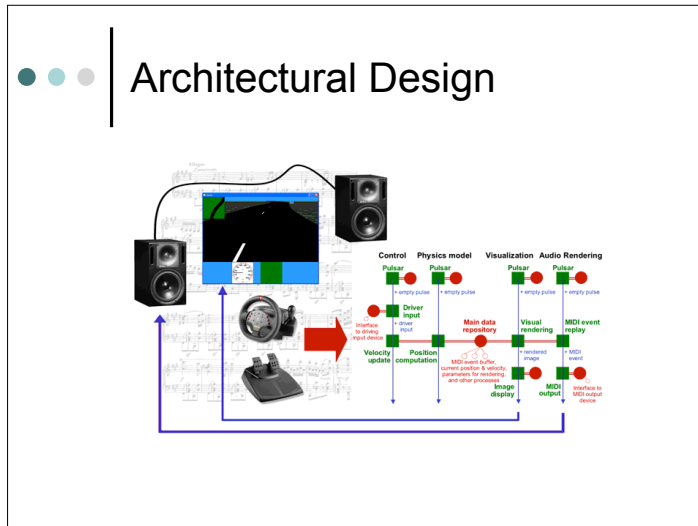
## Related Work

- Creating expressive performances
  - The player piano
- Conducting system
  - Radio baton
  - You're the Conductor
  - Computer vision based baton tracking
  - Digital baton experiment



## Related Work

- Tapping-controlled conducting system
- Machine learning model
- Rule-based model



### Car's Physics Model

$$\phi_k = \begin{cases} 0, & \phi_r > 0 \\ k_r \phi_r, & \phi_r < 0, k_r = 0.34 \end{cases}$$

$$F_{x_i} = (mgl_i - (\phi_r + \phi_k)h)(l_i + L_i)$$

$$F_{z_i} = (mgl_i - (\phi_r + \phi_k)h)(l_i + L_i)$$

$$\alpha_i = \delta - (l_i \omega + v_i) / v_i = \text{front\_trie\_slip\_angle}$$

$$\alpha_r = (l_r \omega - v_r) / v_r = \text{rear\_trie\_slip\_angle}$$

$$\tilde{\alpha}_i = c_i \alpha_i / (\mu F_{z_i}), k \in \{f, r\}$$

$$F_{\tilde{\alpha}_i} = \mu F_{z_i} (\tilde{\alpha}_i - (\text{sgn } \delta) \tilde{\alpha}_i^2 / 3 + \tilde{\alpha}_i^3 / 27) \times \sqrt{1 - \phi_i^2 / (\mu F_{z_i})^2 + \phi_i^2 / c_i^2}, k \in \{f, r\}$$

$$\dot{\omega} = (l_f \phi_f \delta + l_r F_{z_r} - l_r F_{z_f}) / I$$

$$\dot{v}_i = (\phi_i \delta + F_{z_i} + F_{\tilde{\alpha}_i}) / m - v_i \omega - (\text{sgn } v_i) c_i v_i^2$$

$$\dot{v}_r = (\phi_r + \phi_k - F_{z_r} \delta) / m + v_r \omega \in \text{sgn } v_r c_r v_r^2$$

$$\begin{bmatrix} \dot{x} \\ \dot{y} \\ \dot{\theta} \end{bmatrix} = \begin{bmatrix} \cos \theta & \sin \theta & 0 \\ -\sin \theta & \cos \theta & 0 \\ 0 & 0 & 1 \end{bmatrix} \begin{bmatrix} v_x \\ v_y \\ \omega \end{bmatrix}$$

$$\dot{X}_i = X_{i-1} + \dot{x}^* dt$$

$$\dot{Y}_i = Y_{i-1} + \dot{y}^* dt$$

$$\dot{\theta}_i = \theta_{i-1} + \dot{\theta}^* dt$$

### Tempo Control

$$a = \lambda_1 F - \lambda_2 v_2 + K_1(\delta, \omega)$$

$$a = -\eta_1 \delta - \eta_2 v_2 + K_2(F, \omega)$$

$$T_i = T_{i-1} + a dt$$

$$D_i = D_{i-1} + T_i dt$$

### Acceleration to Loudness

- From Dixon, the rate of tempo change appears to be directly correlated with changes in loudness

$$V_i = V_0 + a \mu$$

