

A Formal Theory for the Discovery of Musical Boundaries in a Melodic Surface

Emilios Cambouropoulos

presented by
Jonathan Mooser

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Purpose: find musical boundaries within a "melodic surface"

- "Melodic surface" = melody?
- Based on Gestalt principles of perception.
- Result is the Local Boundary Detection Model (LBDM).

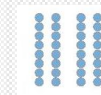
Gestalt – a quick intro

- Theory of human perception and understanding dating back to the late 19th century.
- We organize elements into a whole based on their surroundings and relation to each other (opposite of *Atomism*)
- Typically applied to visual perception

Types of conceptual grouping



SIMILARITY



PROXIMITY

Images courtesy of Bonnie Skaalid ©1999
<http://www.usask.ca/education/coursework/skaalid/theory/gestalt/gestalt.htm>

And
Daniel Chandler
<http://www.aber.ac.uk/media/Modules/MCI0220/visper06.html>



CONTINUITY



CLOSURE

Gestalt applied to music

- Cambouropoulos focuses on two of the principles:
 - Similarity
 - Proximity
 - Indirectly continuity (although he doesn't state it)

LBDM Algorithm

- Takes a sequence of notes as input
- Finds boundaries, organizing the notes into perceptual groups

LBDM Rules

- Identity-Change Rule (ICR)
 - There cannot be a boundary between two identical elements.
- Proximity Rule (PR)
 - Amongst different elements, those that are more similar will be grouped together.

LBDM Rule Details

- "Interval": Difference in some property of successive - tone, volume, duration, etc.
- Always look at the absolute value of the difference.

LBDM Scoring

- ICR
 - Add 2 for each change (duration only?)
 - Add 1 for each interval change.
 - Add 0 for identity relation
- PR
 - Add 1 if boundary is suggested
 - Add 0 otherwise
- Places with highest score are likely boundaries

LBDM Example 1

	a.	b.	c.
	Δx	Δy	$\Delta x \Delta y$
ICR:	0 0	1 1	1 1
PR:	0 0	1 0	0 1
Total	0 0	2 1	1 2

- Boundaries where the interval decreases are labeled "+"
- Boundaries where the interval increases are labeled "-"
- Otherwise label "0"

LBDM Example 1

	a.	b.	c.
	Δx	Δy	$\Delta x \Delta y$
ICR:	0 0	1 1	1 1
PR:	0 0	1 0	0 1
Total	0 0	2 1	1 2

- Result
 - A "+" gives you a 2 followed by a 1
 - A "-" gives you a 1 followed by a 2

LBDM Example 2

Figure 4

	a.	b.	c.
	Δx	Δy	$\Delta x \Delta y$
ICR (st-ints)	0 0	1 1	1 1
PR (st-ints)	0 0	1 0	0 1
ICR (dur)	0 0	2 0	2 0
Total	0 0	4 1	3 2

- Duration and start-time change
 - Why? Rests count as part of the note
 - Why no PR for duration
- A "+" gives you 4 followed by 1
- A "-" gives you 3 followed by 2

LBDM Summary

- In effect, taking a second order differential
 - Find differences applied to some property
 - Rectify (absolute value)
 - Find the sign of the resulting difference
 - Add scores according to the +/- rules

LBDM Summary (cont.)

- When there is a long string of the same sign, only count the first and last
 - $+(++++++)+$
 - $-(------)-$
- In that sense, it's sort of a 3rd order differential!

Some Larger Examples

- Scores are assigned based on +/- rules.
- There can be ambiguity.

Some Larger Examples

Some Possible Refinements To LBDM

- Different properties can be given different weights
- Change the scoring rules – Cambouropoulos suggests giving PR a value of 2
- Multiply scores by a factor depending on the ratio of successive intervals:
 $(x-y)/(x+y)$
- Multiply scores by a factor depending on sum of successive intervals:
 $(1 - 1/(x+y))$

Final Example: Mozart's Symphony in G-minor



start-time ints:	0	-	0	-	0	-	-	+	0	-	+	0	-	0	-	-	+				
	0	3	6	1	3	6	1	3	5	6	1	3	6	1	3	6	1	3	5	6	
scale-step ints:	+	-	0	+	-	0	+	-	+	-	0	+	-	0	+	-	0	+	-	0	
	2	2	2	2	2	2	2	2	4	2	2	2	2	2	2	2	2	2	2	2	
rests (slurs):	+	0	+	-	0	+	-	+	-	+	-	0	+	-	0	-	+	-	+	+	
	1	2	2	2	2	2	2	4	2	4	2	2	2	2	2	2	2	4	2	4	
Total:	A.	3	7	10	5	7	10	5	9	11	12	5	5	10	5	7	10	5	9	9	12
				^			^				^			^			^			^	
	B.	.4	1.7	2.8	.5	1.7	2.8	.5	2.3	2.6	5.7	.6	1.7	2.8	.5	1.7	2.8	.5	1.8	2.5	4.9
			2.8		2.8						5.7			2.8		2.8					4.9
											5.7										4.9

Questions?