

CSCI410 Midterm Solutions (Spring 2002)

Problem 1 [10]

Part A: leftmost

Part B: flex is used to build (state tables of) DFA for the scanner from regular expressions / definition of tokens

Part C: bison is used to build a LR parser from grammar of language

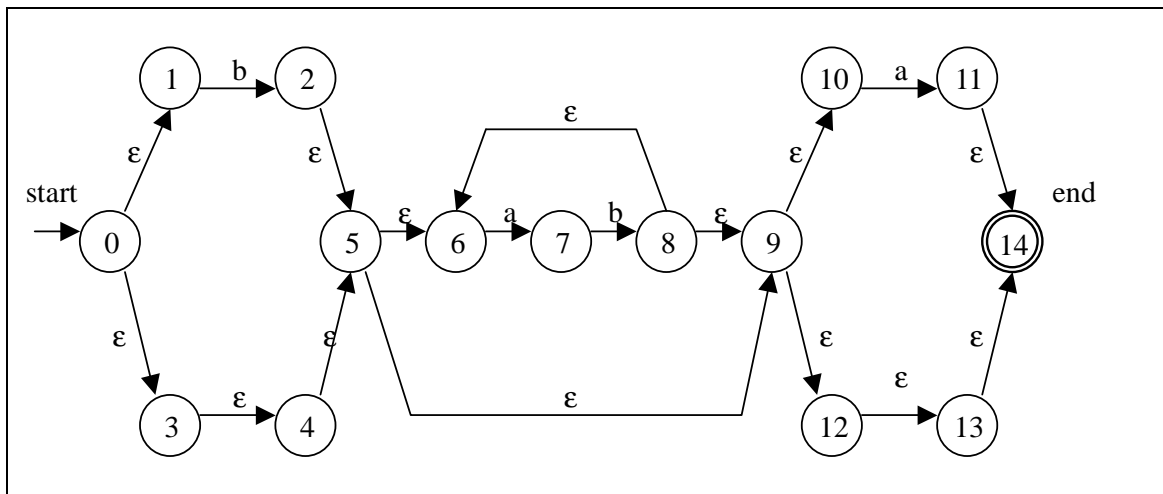
Part D: inputs \in Follow(A)

Part E: reduction step

Problem 2 [7]

Part A:

String of length zero or more of alternating a's & b's beginning with either a or b and ending with either a or b.



Part B:

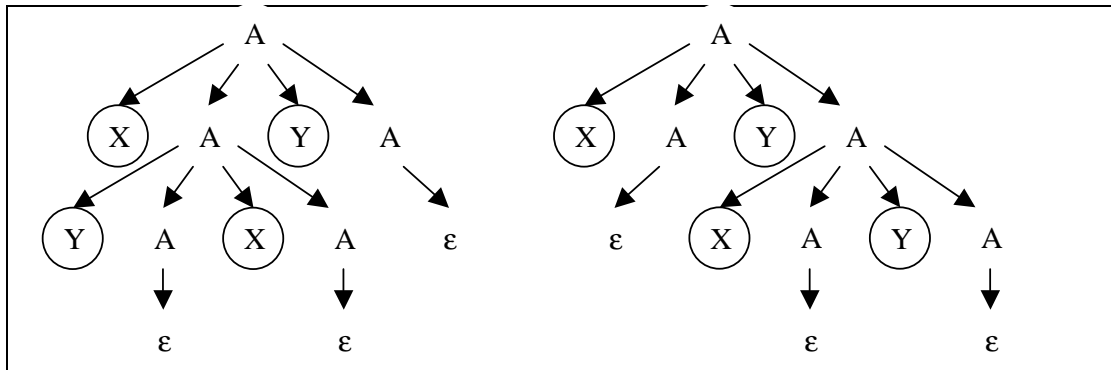
Problem 3 [10]

	a	b
<u>{1,2,4,5}</u>	{3,5}	{2,4,5}
<u>{2,4,5}</u>	{3,5}	-
<u>{3,5}</u>	-	{2,4,5}

Problem 4 [5]

consider string 'xyxy'

There're 2 different parse tree for the same string, so this grammar is ambiguous.



Problem 5 [15]

Part A:

$$A \rightarrow BAyP \mid CP$$

$$P \rightarrow xyP \mid \epsilon$$

$$B \rightarrow xQ$$

$$Q \rightarrow zxQ \mid \epsilon$$

(C remains same)

Part B:

$$\text{first}(A) = \{x, y, w, z\}$$

$$\text{first}(B) = \{x\}$$

$$\text{first}(C) = \{w, y, z\}$$

$$\text{first}(P) = \{x, \epsilon\}$$

$$\text{first}(Q) = \{y, \epsilon\}$$

$$\text{follow}(A) = \{\$, y\}$$

$$\text{follow}(B) = \{x, y, w, z\}$$

$$\text{follow}(C) = \{x\}$$

$$\text{follow}(P) = \{\$, y\}$$

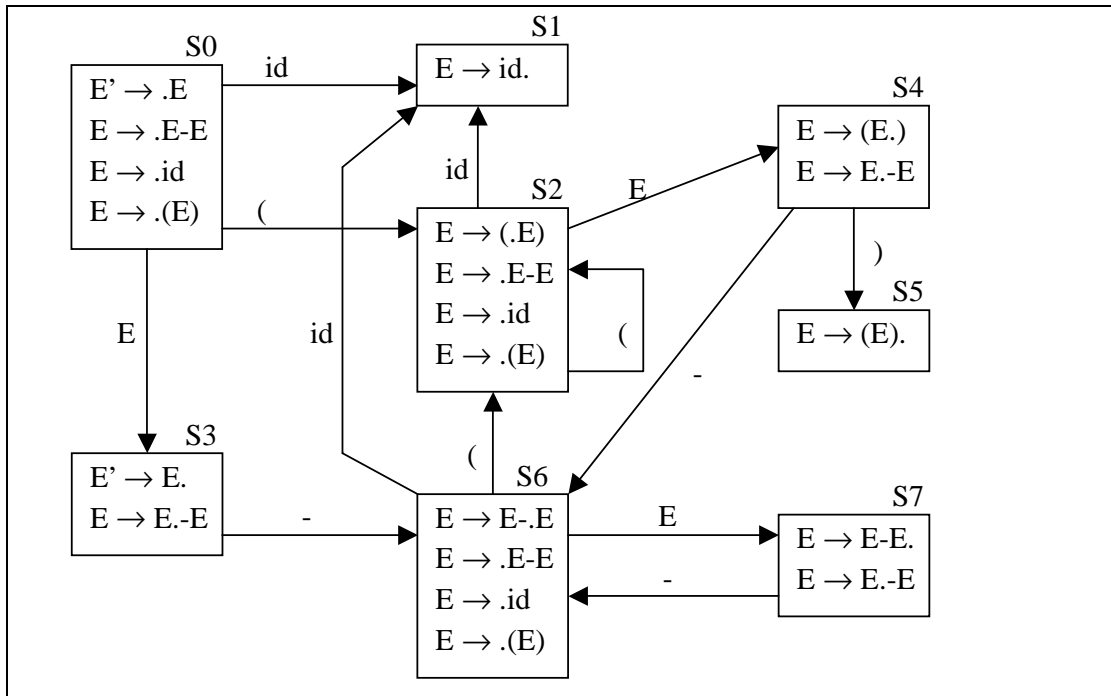
$$\text{follow}(Q) = \{x, y, w, z\}$$

	x	y	w	z	\$
A	BAyP	CP	CP	CP	
P	xyP	ϵ			ϵ
B	xQ				
Q	ϵ	ϵ	ϵ	ϵ / zxQ	
C		yC	wC	z	

Conflict: marked by red

Problem 6 [23]

Part A:



Part B:

- (1) $E' \rightarrow E$
- (2) $E \rightarrow E - E$
- (3) $E \rightarrow id$
- (4) $E \rightarrow (E)$

	id	()	-	\$	E
0	s1	s2				s3
1			r3	r3	r3	
2	s1	s2				s4
3				s6	r1	
4			s5	s6		
5			r4	r4	r4	
6	s1	s2				s7
7			r2	s6 / r2	r2	

Conflict: marked by red

Part C:

because “-“ is left associative
therefore it must first be reduced using rule 2

Problem 7 [10]

$S \rightarrow A \quad \{ S.rm = A.rm; \}$
 $A \rightarrow A_1xy \quad \{ A.rm = 'y'; \}$
 $| BA_1y \quad \{ A.rm = 'y'; \}$
 $| C \quad \{ A.rm = C.rm; \}$
 $B \rightarrow B_1z \quad \{ B.rm = 'z'; \}$
 $| x \quad \{ B.rm = 'x'; \}$
 $C \rightarrow wC_1 \quad \{ C.rm = 'z'; \}$
 $| yC_1 \quad \{ C.rm = 'z'; \}$
 $| z \quad \{ C.rm = 'z'; \}$